

# Spectral signature of correlation back-reaction

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## Abstract:

High-order harmonic generation from neutral He presents a distinctive trace of correlation back-reaction: a secondary plateau extending the emission towards higher frequencies. We identify a novel mechanism prior to ionization in which the field interacts with one of the electrons, while the other is excited to a Rydberg level through the Coulomb interaction.

## Related publication:

A. De las Heras et al, Phys. Rev. Research (accepted 2020)

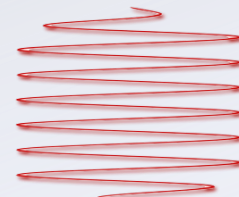
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# Challenge and theoretical models

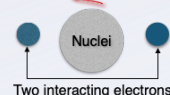
The phenomenology of high harmonic generation is typically described with a single-active electron (SAE) occupying the outermost valence orbital of the atom or molecule under study. However, multi-electron effects can influence the ionization or recombination steps.

 We look for traces of e-e correlation in the simplest multi-electron system.

IR pulse



He atom



XUV emission



## Theoretical models 1D

EXACT 1D MODELS

**He TAE: Two Active electrons** (exact 1D description of the He atom)

$$H^{TAE} = \frac{\left(\hat{p}_1 + \frac{e}{c}A(t)\right)^2}{2m_e} + \frac{\left(\hat{p}_2 + \frac{e}{c}A(t)\right)^2}{2m_e} - \frac{2e^2}{4\pi\epsilon_0\sqrt{x_1^2 + 0.50a_0}} - \frac{2e^2}{4\pi\epsilon_0\sqrt{x_2^2 + 0.50a_0}} + \frac{e^2}{4\pi\epsilon_0\sqrt{(x_1 - x_2)^2 + 0.32a_0}}$$



**He<sup>+</sup>: Exact He<sup>+</sup> description**

$$H^{He^+} = \frac{\left(\hat{p} + \frac{e}{c}A(t)\right)^2}{2m_e} - \frac{2e^2}{4\pi\epsilon_0\sqrt{x^2 + 0.50a_0}}$$



APPROXIMATIONS

**He IDL: Idle electron** (Two correlated electrons but only one interacts with the laser)

$$H^{IDL} = \frac{\left(\hat{p}_1 + \frac{e}{c}A(t)\right)^2}{2m_e} + \frac{\hat{p}_2^2}{2m_e} - \frac{2e^2}{4\pi\epsilon_0\sqrt{x_1^2 + 0.50a_0}} - \frac{2e^2}{4\pi\epsilon_0\sqrt{x_2^2 + 0.50a_0}} + \frac{e^2}{4\pi\epsilon_0\sqrt{(x_1 - x_2)^2 + 0.32a_0}}$$



**He SAE: Single-active electron**

$$H^{SAE} = \frac{\left(\hat{p} + \frac{e}{c}A(t)\right)^2}{2m_e} - \frac{e^2}{4\pi\epsilon_0\sqrt{x^2 + 0.487a_0}}$$



Time-dependent Schrödinger equation

$$i\hbar \frac{\partial \Psi(t)}{\partial t} = H(t)\Psi(t)$$

# Numerical results

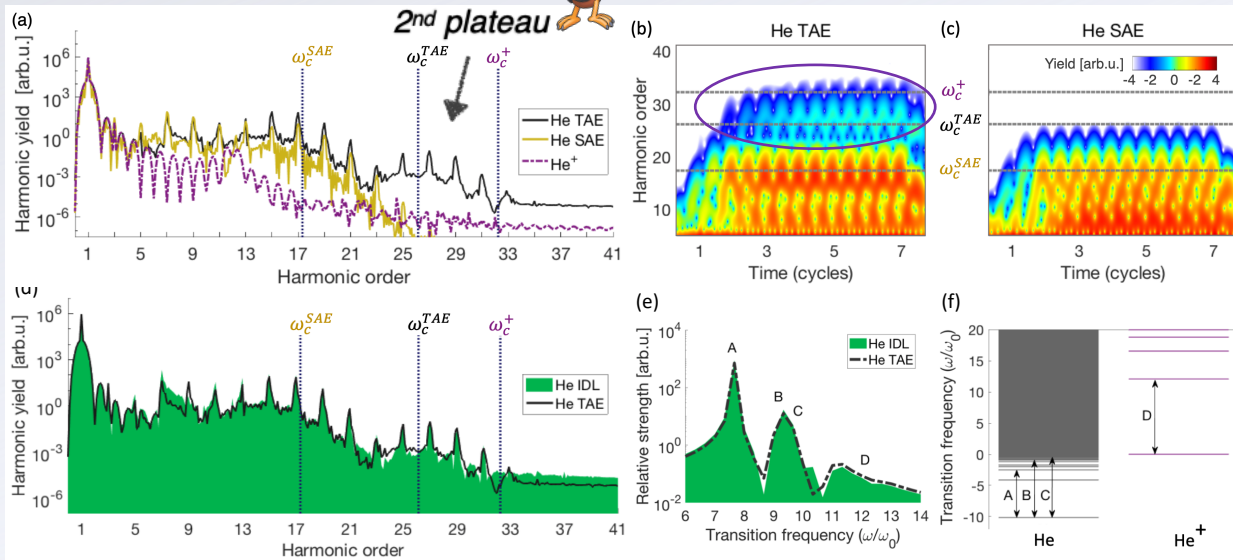
➡ A high-energy secondary plateau emerges in the TAE model with a significantly higher yield than the signal from  $\text{He}^+$ .

➡ The 2<sup>nd</sup> plateau is preserved even if one electron is artificially disconnected from the external field (IDL model in Fig. (d)).

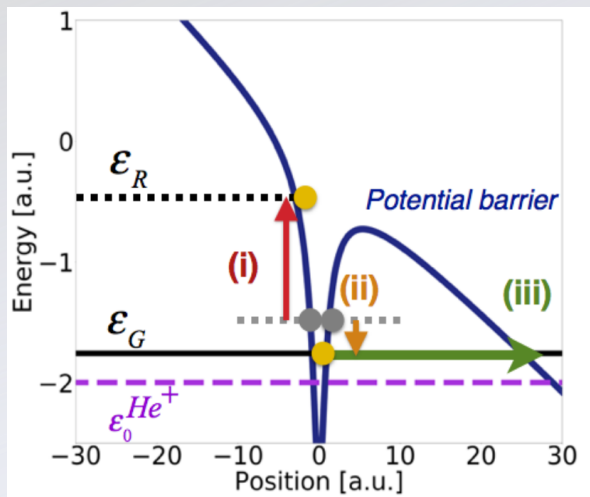
➡ Single-excited states of neutral He are populated both in the TAE and IDL descriptions (Figs. (e) and (f))

High-harmonic spectroscopy encodes information of e-e correlation!!

$$\lambda = 515 \text{ nm}; I = 1.6 \times 10^{14} \text{ W/cm}^2$$



# Conclusions



## Take-home message:

**Complex multi-electron interactions can be monitored using high-harmonic spectroscopy!**

Further insights: A. De las Heras et al, Phys. Rev. Research (accepted 2020)

[1] T. Tikhomirov et al, Phys. Rev. Lett. 118, 203202 (2017)

[2] P. Koval et al, Phys. Rev. Lett. 98, 043904 (2007)

The back-reaction mechanism leading to the secondary plateau involves the following steps:

- (i) Single-excitation of the secondary electron mediated by e-e correlation.
- (ii) The secondary electron back-acts on the primary electron, lowering its energy.
- (iii) The primary electron tunnels the potential barrier from this modified level, then it is accelerated by the driving field and finally it recombines to the same single-excited state, emitting high-order harmonics.

Unlike other multi-electron phenomena<sup>[1,2]</sup> where the electron-field excitation is modified by cross-interactions with the rest of the electrons, back-reaction is a mechanism of auto-correlation.